NAME

hypot, hypotf, hypotl, cabs, cabsf, cabsl - Euclidean distance and complex absolute value functions

LIBRARY

```
Math Library (libm, -lm)
```

SYNOPSIS

```
#include <math.h>
double
hypot(double x, double y);
float
hypotf(float x, float y);
long double
hypotl(long double x, long double y);
#include <complex.h>
double
cabs(double complex z);
float
cabsf(float complex z);
long double
```

DESCRIPTION

The **hypot()**, **hypotf()** and **hypotl()** functions compute the sqrt(x*x+y*y) in such a way that underflow will not happen, and overflow occurs only if the final result deserves it. The cabs(), cabsf() and cabsl() functions compute the complex absolute value of z.

```
hypot(infinity, v) = hypot(v, infinity) = +infinity for all v, including NaN.
```

ERROR (due to Roundoff, etc.)

cabsl(long double complex z);

Below 0.97 *ulps*. Consequently **hypot**(5.0, 12.0) = 13.0 exactly; in general, hypot and cabs return an integer whenever an integer might be expected.

NOTES

As might be expected, $\mathbf{hypot}(v, NaN)$ and $\mathbf{hypot}(NaN, v)$ are NaN for all *finite v*. But programmers might be surprised at first to discover that $\mathbf{hypot}(+-infinity, NaN) = +infinity$. This is intentional; it happens because $\mathbf{hypot}(infinity, v) = +infinity$ for *all v*, finite or infinite. Hence $\mathbf{hypot}(infinity, v)$ is independent of v. Unlike the reserved operand fault on a VAX, the IEEE NaN is designed to disappear when it turns out to be irrelevant, as it does in $\mathbf{hypot}(infinity, NaN)$.

SEE ALSO

carg(3), math(3), sqrt(3)

STANDARDS

The **hypot(**), **hypotf(**), **hypotl(**), **cabs(**), **cabsf(**), and **cabsl(**) functions conform to ISO/IEC 9899:1999 ("ISO C99").

HISTORY

Both a hypot() function and a cabs() function appeared in Version 7 AT&T UNIX.